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## Homework #2

**Due Date:** February 1, 2001

**Points:** 60

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1. (10 points) Number all the forks in the Dining Philosopher's problem and require that each philosopher request an even-numbered fork before an odd-numbered fork. Will this allocation strategy prevent deadlock and starvation? Is it a form of a well-known strategy (named in section 3.9.3)?
2. (15 points) Using the definitions given in class, prove that “ $S$  is not a deadlock state” does not imply that “ $S$  is a safe state.”
3. (15 points) Assume a system has  $p$  processes and  $r$  identical units of a reusable resource. If each process can claim at most  $n$  units of the resource, show that the system will be deadlock free if, and only if,  $r \geq p(n-1)+1$  [text, problem 3.7].
4. (20 points) Prove Theorem 3.6.